```
Text[Style[
  "-----", Green, 14]]
Text[Style["In The Name Of GOD , The Most Beneficent , The Most Merciful",
  RGBColor["#00a00b"], 14]]
Text[Style["------",
  Green, 14]]
Text[Style["-----",
  RGBColor["#2980b9"], 14]]
Text[Style["Limit Revolution , First Example", RGBColor["#2980b9"], 30]]
Text[Style["------
  RGBColor["#2980b9"], 14]]
Text[Style["Step 1 : Defining The Integer Part Function.", RGBColor["#2980b9"], 14]]
Intg = Function[\{x\}, If[IntegerPart[x] \geq 0, IntegerPart[x], IntegerPart[x] - 1]]
Text[Style["Step 2 : Defining The Main Function That We Want To Find It,s Limit.",
  RGBColor["#2980b9"], 14]]
F = Function \left[ \{x\}, \frac{Intg[x]}{x} \right]
Text[Style["Step 3 : Transformed Function Chart", RGBColor["#2980b9"], 14]]
Text[Style["Please Read The Infinity Plot And It,s Applications Theory",
  RGBColor["#2980b9"], 14]]
P001 = Plot[{ArcTan[Intg[Tan[x]]] / ArcTan[Tan[x]]},
  \{x, -Pi/2, Pi/2\}, PlotRange \rightarrow \{-Pi/2, Pi/2\}, Frame \rightarrow True]
Text[Style["Step 4 : The Y=(Limit Answer) Chart.", RGBColor["#2980b9"], 14]]
Text[Style["Please Read The Infinity Plot And It,s Applications Theory",
  RGBColor["#2980b9"], 14]]
P002 = Plot \left[ \left\{ ArcTan \left[ Intg \left[ Tan \left[ \frac{\pi}{2} - 0.01 * 10^{-300} \right] \right] \right] \right] \right] ArcTan \left[ Tan \left[ \frac{\pi}{2} - 0.01 * 10^{-300} \right] \right] \right]
  \left\{x, -\frac{\pi}{2}, \frac{\pi}{2}\right\}, PlotRange \rightarrow \left\{-\frac{\pi}{2}, \frac{\pi}{2}\right\}, Frame \rightarrow True
Text[Style["Step 5 : Ploting The Two Previous Functions On The Same Graphics Row.",
  RGBColor["#2980b9"], 14]]
Text[Style["Please Read The Infinity Plot And It,s Applications Theory",
  RGBColor["#2980b9"], 14]]
P003 = Plot \left[ \left\{ ArcTan[Intg[Tan[x]]] / ArcTan[Tan[x]] \right\} \right]
   ArcTan \left[\operatorname{Intg}\left[\operatorname{Tan}\left[\frac{\pi}{2}-0.01*10^{-300}\right]\right]\right] ArcTan \left[\operatorname{Tan}\left[\frac{\pi}{2}-0.01*10^{-300}\right]\right]\right],
  \left\{x, -\frac{\pi}{2}, \frac{\pi}{2}\right\}, PlotRange \rightarrow \left\{-\frac{\pi}{2}, \frac{\pi}{2}\right\}, Frame \rightarrow True
```

Style["Step 6 : Ploting The Transformed Function And The Y=(Limit Answer) And Two Previous Functions On The Same Plot.", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

GraphicsRow[{P001, P002, P003}, Frame → All]

$${\tt Text} \Big[{\tt Style} \Big[$$

"Step 7 : Printing The Result of Limit $[\frac{Intg[x]}{v}, x \rightarrow + Infinity]$ Using New Methods .", RGBColor["#2980b9"], 14]]

$$\operatorname{ArcTan}\left[\operatorname{Intg}\left[\operatorname{Tan}\left[\frac{\pi}{2}-0.01*10^{-300}\right]\right]\right] / \operatorname{ArcTan}\left[\operatorname{Tan}\left[\frac{\pi}{2}-0.01*10^{-300}\right]\right]$$

In The Name Of GOD, The Most Beneficent, The Most Merciful

Limit Revolution, First Example

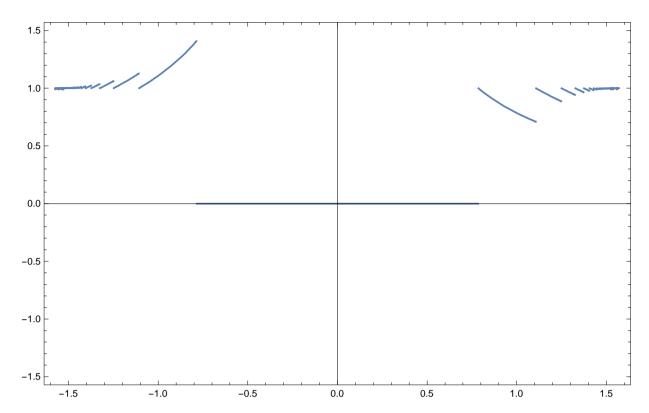
Step 1 : Defining The Integer Part Function.

Function[$\{x\}$, If[IntegerPart[x] ≥ 0 , IntegerPart[x], IntegerPart[x] – 1]]

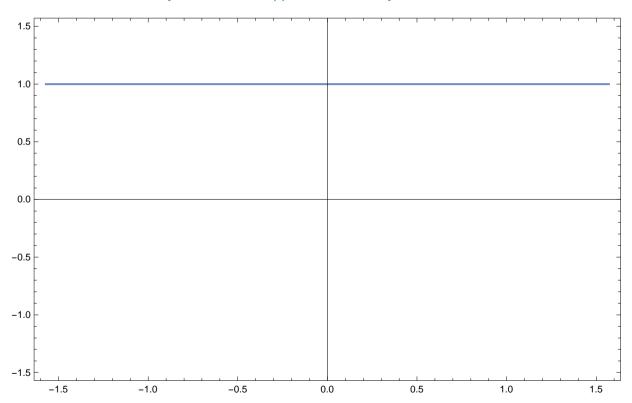
Step 2: Defining The Main Function That We Want To Find It,s Limit.

Function
$$\left[\{x\}, \frac{\mathsf{Intg}[x]}{x} \right]$$

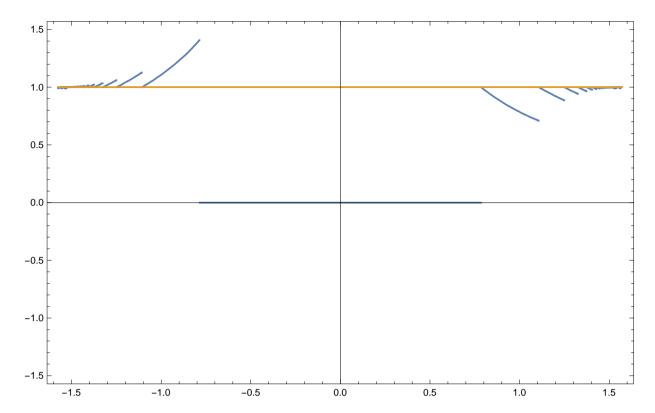
Step 3: Transformed Function Chart



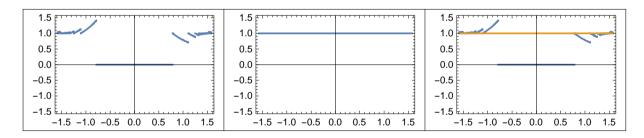
Step 4 : The Y=(Limit Answer) Chart.



Step 5: Ploting The Two Previous Functions On The Same Graphics Row.



Step 6: Ploting The Transformed Function And The Y=(Limit Answer) And Two Previous Functions On The Same Plot.



Step 7 : Printing The Result of Limit[$\frac{Intg[x]}{x}$,x \rightarrow +Infinity] Using New Methods .

1. Text[Style["-----", Green, 14]] Text[Style["In The Name Of GOD , The Most Beneficent , The Most Merciful", RGBColor["#00a00b"], 14]] Text[Style["------Green, 14]] Text[Style["-----RGBColor["#2980b9"], 14]] Text[Style["Limit Revolution , Second Example", RGBColor["#2980b9"], 30]] Text[Style["------RGBColor["#2980b9"], 14]] Text[Style["Step 1 : Defining The Integer Part Function.", RGBColor["#2980b9"], 14]]

Intg = Function[$\{x\}$, If[IntegerPart[x] \geq 0, IntegerPart[x], IntegerPart[x] - 1]]

```
Text[Style["Step 2 : Defining The Main Function That We Want To Find It,s Limit.",
  RGBColor["#2980b9"], 14]]
```

Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

G = Function
$$\left[\{x\}, \frac{Intg[x]^{Sin[x]}}{x} \right]$$

Text[Style["Step 3 : Transformed Function Chart", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

P001 = Plot
$$\left[\left\{ \frac{\text{ArcTan[Intg[Tan[x]]]}^{\text{ArcTan[Sin[Tan[x]]]}}}{\text{ArcTan[Tan[x]]}} \right\}$$
, $\left\{ x, -\frac{\pi}{2}, \frac{\pi}{2} \right\}$, PlotRange $\rightarrow \left\{ -\frac{\pi}{2}, \frac{\pi}{2} \right\}$, Frame \rightarrow True, Frame \rightarrow True $\right\}$

Text[Style["Step 4 : The Y=(Limit Answer) Chart.", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

$$\begin{aligned} \text{P002} &= \text{Plot} \left[\left\{ \text{ArcTan} \left[\text{Intg} \left[\text{Tan} \left[\frac{\pi}{2} - \theta.01 * 10^{-300} \right] \right] \right]^{\text{ArcTan} \left[\text{Sin} \left[\text{Tan} \left[\frac{\pi}{2} - \theta.01 * 10^{-300} \right] \right] \right] \right] \right. \\ &\left. \text{ArcTan} \left[\text{Tan} \left[\frac{\pi}{2} - \theta.01 * 10^{-300} \right] \right] \right\}, \; \left\{ \text{x, -Pi / 2, Pi / 2} \right\}, \\ &\left. \text{PlotRange} \rightarrow \left\{ -\pi / 2, \, \pi / 2 \right\}, \; \text{Frame} \rightarrow \text{True, Frame} \rightarrow \text{True} \right] \end{aligned}$$

Text[Style["Step 5 : Ploting The Two Previous Functions On The Same Plot.", RGBColor["#2980b9"], 14]]

Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

$$\begin{aligned} \text{P003} &= \text{Plot}\Big[\Big\{\frac{\text{ArcTan}[\text{Intg}[\text{Tan}[\textbf{x}]]]^{\text{ArcTan}[\text{Sin}[\text{Tan}[\textbf{x}]]]}}{\text{ArcTan}[\text{Tan}[\textbf{x}]]},\\ &\quad \text{ArcTan}\Big[\text{Intg}\Big[\text{Tan}\Big[\frac{\pi}{2} - 0.01 * 10^{-300}\Big]\Big]\Big]^{\text{ArcTan}\left[\text{Sin}\left[\text{Tan}\left[\frac{\pi}{2} - 0.01 * 10^{-300}\right]\right]\right]}\Big/\\ &\quad \text{ArcTan}\Big[\text{Tan}\Big[\frac{\pi}{2} - 0.01 * 10^{-300}\Big]\Big]\Big\},\\ &\quad \{\textbf{x}, -\text{Pi}/2, \, \text{Pi}/2\}, \, \text{PlotRange} \rightarrow \{-\pi/2, \, \pi/2\}, \, \text{Frame} \rightarrow \text{True}\Big] \end{aligned}$$

Text[

Style["Step 6 : Ploting The Transformed Function And The Y=(Limit Answer) And Two Previous Functions On The Same Graphics Row.", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

GraphicsRow[{P001, P002, P003}, Frame → All]

Style ["Step 7 : Printing The Result of Limit [
$$\frac{Intg[x]^{Sin[x]}}{x}$$
, x \rightarrow +Infinity] Using New Methods .", RGBColor ["#2980b9"], 14]]

$$\begin{split} & \text{ArcTan} \Big[\text{Intg} \Big[\text{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \Big] \, ^{\text{ArcTan}} \Big[\text{Sin} \Big[\text{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \Big] \Big/ \\ & \text{ArcTan} \Big[\text{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \end{aligned}$$

In The Name Of GOD, The Most Beneficent, The Most Merciful

Limit Revolution, Second Example

Step 1: Defining The Integer Part Function.

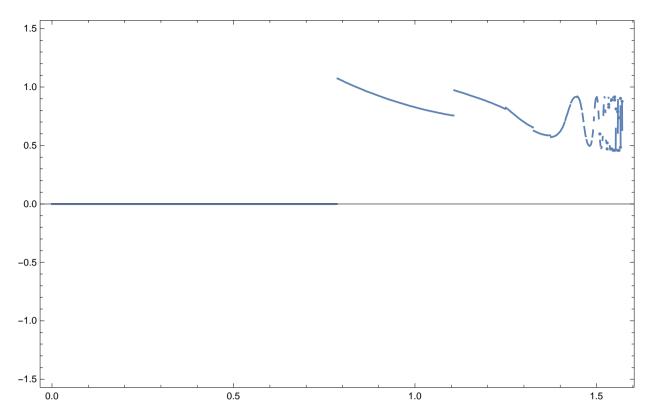
Function $[\{x\}, \text{If}[\text{IntegerPart}[x] \ge 0, \text{IntegerPart}[x], \text{IntegerPart}[x] - 1]]$

Step 2: Defining The Main Function That We Want To Find It,s Limit.

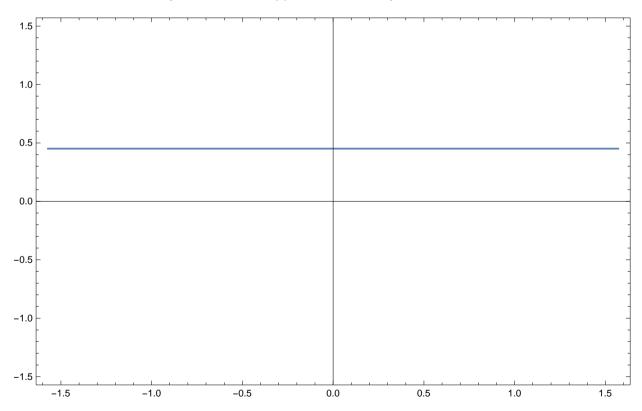
Please Read The Infinity Plot And It,s Applications Theory

Function
$$\left[\{x\}, \frac{\text{Intg}[x]^{\text{Sin}[x]}}{x} \right]$$

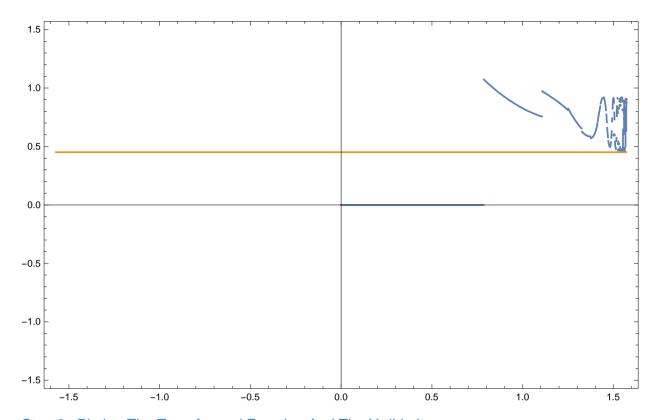
Step 3: Transformed Function Chart



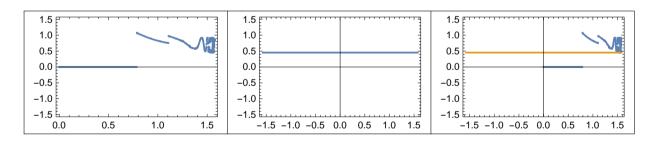
Step 4 : The Y=(Limit Answer) Chart.



Step 5: Ploting The Two Previous Functions On The Same Plot.



Step 6: Ploting The Transformed Function And The Y=(Limit Answer) And Two Previous Functions On The Same Graphics Row.



Step 7 : Printing The Result of Limit[$\frac{Intg[x]^{Sin[x]}}{x}$,x \rightarrow +Infinity] Using New Methods .

0.450799

```
Text[Style[
        ------", Green, 14]]
Text[Style["In The Name Of GOD , The Most Beneficent , The Most Merciful",
 RGBColor["#00a00b"], 14]]
Text [Style [ "------
 Green, 14]]
Text[Style["-----
 RGBColor["#2980b9"], 14]]
Text[Style["Limit Revolution , Third Example", RGBColor["#2980b9"], 30]]
Text[Style["-----
 RGBColor["#2980b9"], 14]]
Text[Style["Step 1 : Defining The Integer Part Function.", RGBColor["#2980b9"], 14]]
```

Intg = Function[$\{x\}$, If[IntegerPart[x] \geq 0, IntegerPart[x], IntegerPart[x] - 1]]

Text[Style["Step 2 : Defining The Main Function That We Want To Find It,s Limit.", RGBColor["#2980b9"], 14]]

$$H = Function \left[\{x\}, \frac{Intg[x]^{x^x}}{x^x} \right]$$

Text[Style["Step 3 : Transformed Function Chart", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

$$P001 = Plot \Big[\left\{ ArcTan[Intg[Tan[x]]] \wedge ArcTan[Tan[x]] \wedge ArcTan[Tan[x]] \right\} \\ ArcTan[Tan[x]] \wedge ArcTan[Tan[x]] \Big\}, \Big\{ x, -\frac{\pi}{2}, \frac{\pi}{2} \Big\}, PlotRange \rightarrow \Big\{ -\frac{\pi}{2}, \frac{\pi}{2} \Big\}, Frame \rightarrow True \Big]$$

Text[Style["Step 4 : The Y=(Limit Answer) Chart.", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

$$\begin{split} \text{P002} &= \text{Plot} \Big[\Big\{ \text{ArcTan} \Big[\text{Intg} \Big[\text{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \Big] \wedge \\ &\quad \text{ArcTan} \Big[\text{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \wedge \text{ArcTan} \Big[\text{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \Big/ \\ &\quad \text{ArcTan} \Big[\text{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \wedge \text{ArcTan} \Big[\text{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \Big\}, \\ &\quad \Big\{ x, -\frac{\pi}{2}, \frac{\pi}{2} \Big\}, \, \text{PlotRange} \rightarrow \Big\{ -\frac{\pi}{2}, \frac{\pi}{2} \Big\}, \, \text{Frame} \rightarrow \text{True} \Big] \end{split}$$

Text[Style["Step 5 : Ploting The Two Previous Functions On The Same Plot.", RGBColor["#2980b9"], 14]]

Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

$$P003 =$$

 $\textbf{Plot}\Big[\Big\{\textbf{ArcTan}[\textbf{Intg}[\textbf{Tan}[\textbf{x}]]]^{\textbf{ArcTan}}[\textbf{Tan}[\textbf{x}]]^{\textbf{ArcTan}}[\textbf{Tan}[\textbf{x}]]^{\textbf{ArcTan}}\Big] \\$

ArcTan[Tan[x]] ^ArcTan[Tan[x]], ArcTan[Intg[Tan[$\frac{\pi}{2}$ - 0.01 * 10⁻³⁰⁰]]] ^ ArcTan $\left[\text{Tan} \left[\frac{\pi}{2} - 0.01 * 10^{-300} \right] \right] ^{\text{ArcTan}} \left[\text{Tan} \left[\frac{\pi}{2} - 0.01 * 10^{-300} \right] \right]$ ArcTan $\left[\text{Tan} \left[\frac{\pi}{2} - 0.01 * 10^{-300} \right] \right] ^{\text{ArcTan}} \left[\text{Tan} \left[\frac{\pi}{2} - 0.01 * 10^{-300} \right] \right] \right]$

$$\left\{x, -\frac{\pi}{2}, \frac{\pi}{2}\right\}$$
, PlotRange $\rightarrow \left\{-\frac{\pi}{2}, \frac{\pi}{2}\right\}$, Frame \rightarrow True

Text[

Style["Step 6 : Ploting The Transformed Function And The Y=(Limit Answer) And Two Previous Functions On The Same Graphics Row.", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

GraphicsRow[{P001, P002, P003}, Frame → All]

"Step 7 : Printing The Result of Limit[$\frac{Intg[x]^{x^x}}{x^x}$, x \rightarrow +Infinity] Using New Methods .", RGBColor["#2980b9"], 14]]

In The Name Of GOD, The Most Beneficent, The Most Merciful

Limit Revolution, Third Example

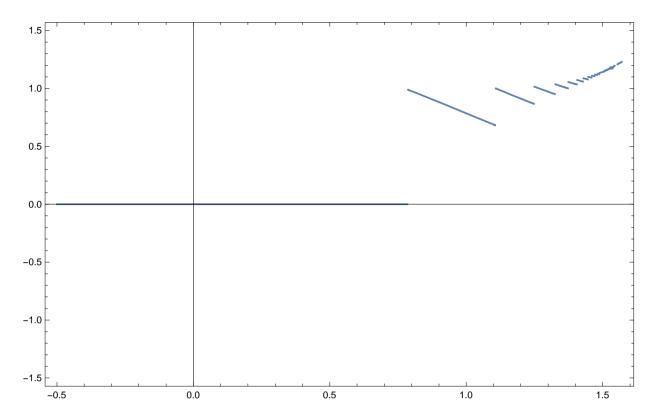
Step 1: Defining The Integer Part Function.

Function $[\{x\}, \text{If}[\text{IntegerPart}[x] \ge 0, \text{IntegerPart}[x], \text{IntegerPart}[x] - 1]]$

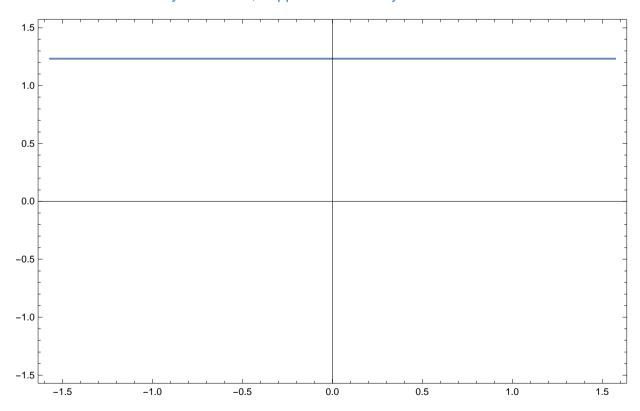
Step 2: Defining The Main Function That We Want To Find It,s Limit.

Function
$$\left[\{x\}, \frac{\text{Intg}[x]^{x^x}}{x^x} \right]$$

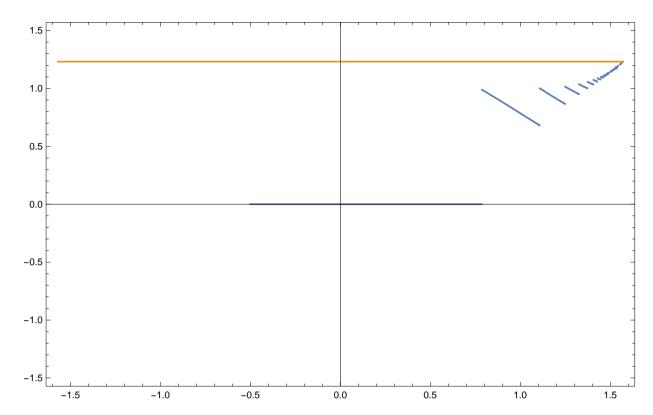
Step 3: Transformed Function Chart



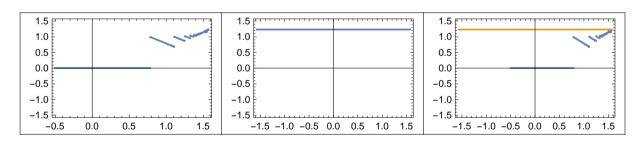
Step 4 : The Y=(Limit Answer) Chart.



Step 5: Ploting The Two Previous Functions On The Same Plot.



Step 6: Ploting The Transformed Function And The Y=(Limit Answer) And Two Previous Functions On The Same Graphics Row.



Step 7 : Printing The Result of Limit[$\frac{Intg[x]^{x^x}}{x^x}$,x \rightarrow +Infinity] Using New Methods .

1.23191

```
Text[Style[
 "-----", Green, 14]]
Text[Style["In The Name Of GOD , The Most Beneficent , The Most Merciful",
 RGBColor["#00a00b"], 14]]
Text [Style [ "-----
 Green, 14]]
Text[Style["-----",
 RGBColor["#2980b9"], 14]]
Text[Style["Limit Revolution , Fourth Example", RGBColor["#2980b9"], 30]]
Text [Style [ "-----
 RGBColor["#2980b9"], 14]]
Text[Style["Step 1 : Defining The Integer Part Function.", RGBColor["#2980b9"], 14]]
```

Intg = Function[$\{x\}$, If[IntegerPart[x] \geq 0, IntegerPart[x], IntegerPart[x] - 1]]

Text[Style["Step 2 : Defining The Main Function That We Want To Find It,s Limit.", RGBColor["#2980b9"], 14]]

J = Function
$$\left[\{x\}, \frac{Intg[x]^x}{x^x \times Sin[x]} \right]$$

Text[Style["Step 3 : Transformed Function Chart", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

$$\begin{aligned} & \text{P001} = \text{Plot} \left[\left\{ \text{ArcTan}[\text{Intg}[\text{Tan}[x]]] \right\}^{\text{ArcTan}[\text{Tan}[x]]} \middle/ \text{ArcTan}[\text{Tan}[x]] \right] \land \\ & \text{ArcTan}[\text{Sin}[\text{Tan}[x]]] \right\}, \left\{ x, -\frac{\pi}{2}, \frac{\pi}{2} \right\}, \text{PlotRange} \rightarrow \left\{ -\frac{\pi}{2}, \frac{\pi}{2} \right\}, \text{Frame} \rightarrow \text{True} \right] \end{aligned}$$

Text[Style["Step 4 : The Y=(Limit Answer) Chart.", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

$$\begin{aligned} \text{P002} &= \text{Plot}\Big[\Big\{\text{ArcTan}\Big[\text{Intg}\Big[\text{Tan}\Big[\left(\frac{\pi}{2} - 0.01 * 10^{-300}\right)\Big]\Big]\Big]^{\text{ArcTan}}\Big[\text{Tan}\Big[\frac{\pi}{2} - 0.01 * 10^{-300}\Big]\Big] \Big/ \\ &\quad \text{ArcTan}\Big[\text{Tan}\Big[\frac{\pi}{2} - 0.01 * 10^{-300}\Big]\Big] \wedge \text{ArcTan}\Big[\text{Tan}\Big[\frac{\pi}{2} - 0.01 * 10^{-300}\Big]\Big] \times \\ &\quad \text{ArcTan}\Big[\text{Sin}\Big[\text{Tan}\Big[\frac{\pi}{2} - 0.01 * 10^{-300}\Big]\Big]\Big]\Big\}, \\ &\quad \Big\{x, -\frac{\pi}{2}, \frac{\pi}{2}\Big\}, \, \text{PlotRange} \to \Big\{-\frac{\pi}{2}, \frac{\pi}{2}\Big\}, \, \text{Frame} \to \text{True}\Big] \end{aligned}$$

Text[Style["Step 5 : Ploting The Two Previous Functions On The Same Plot.", RGBColor["#2980b9"], 14]]

Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

$$\begin{split} \text{P003} &= \text{Plot}\Big[\Big\{\big\{\text{ArcTan}[\text{Intg}[\text{Tan}[\textbf{x}]]]^{\text{ArcTan}[\text{Tan}[\textbf{x}]]} \Big/ \\ &\quad \text{ArcTan}[\text{Tan}[\textbf{x}]] \wedge \text{ArcTan}[\text{Tan}[\textbf{x}]] \times \text{ArcTan}[\text{Sin}[\text{Tan}[\textbf{x}]]]\Big\}, \\ &\quad \Big\{\text{ArcTan}\Big[\text{Intg}\Big[\text{Tan}\Big[\left(\frac{\pi}{2} - \theta.01 \star 10^{-300}\right)\Big]\Big]\Big]^{\text{ArcTan}}\Big[\text{Tan}\Big[\frac{\pi}{2} - \theta.01 \star 10^{-300}\Big]\Big] \Big/ \\ &\quad \text{ArcTan}\Big[\text{Tan}\Big[\frac{\pi}{2} - \theta.01 \star 10^{-300}\Big]\Big] \wedge \text{ArcTan}\Big[\text{Tan}\Big[\frac{\pi}{2} - \theta.01 \star 10^{-300}\Big]\Big] \times \\ &\quad \text{ArcTan}\Big[\text{Sin}\Big[\text{Tan}\Big[\frac{\pi}{2} - \theta.01 \star 10^{-300}\Big]\Big]\Big]\Big\}\Big\}, \\ &\quad \Big\{x, -\frac{\pi}{2}, \frac{\pi}{2}\Big\}, \, \text{PlotRange} \rightarrow \Big\{-\frac{\pi}{2}, \frac{\pi}{2}\Big\}, \, \text{Frame} \rightarrow \text{True}\Big] \end{split}$$

Text[

Style["Step 6 : Ploting The Transformed Function And The Y=(Limit Answer) And Two Previous Functions On The Same Graphics Row.", RGBColor["#2980b9"], 14]] Text[Style["Please Read The Infinity Plot And It,s Applications Theory", RGBColor["#2980b9"], 14]]

GraphicsRow[{P001, P002, P003}, Frame → All]

Text[Style["Step 7 : Printing The Result of
$$Limit[\frac{Intg[x]^{x}}{x^{x} \times Sin[x]}, x \rightarrow +Infinity] \text{ Using New Methods .", RGBColor["#2980b9"], 14]}]$$

$$\begin{split} & \operatorname{ArcTan} \Big[\operatorname{Intg} \Big[\operatorname{Tan} \Big[\left(\frac{\pi}{2} - 0.01 * 10^{-300} \right) \Big] \Big] \Big]^{\operatorname{ArcTan} \big[\operatorname{Tan} \big[\frac{\pi}{2} - 0.01 * 10^{-300} \big] \big]} \bigg/ \\ & \operatorname{ArcTan} \Big[\operatorname{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \wedge \operatorname{ArcTan} \Big[\operatorname{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \times \\ & \operatorname{ArcTan} \Big[\operatorname{Sin} \Big[\operatorname{Tan} \Big[\frac{\pi}{2} - 0.01 * 10^{-300} \Big] \Big] \Big] \end{split}$$

In The Name Of GOD, The Most Beneficent, The Most Merciful

Limit Revolution, Fourth Example

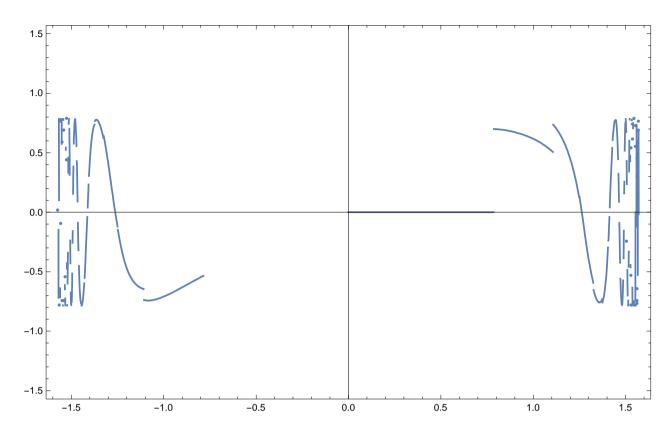
Step 1: Defining The Integer Part Function.

Function $[\{x\}, \text{If}[\text{IntegerPart}[x] \ge 0, \text{IntegerPart}[x], \text{IntegerPart}[x] - 1]]$

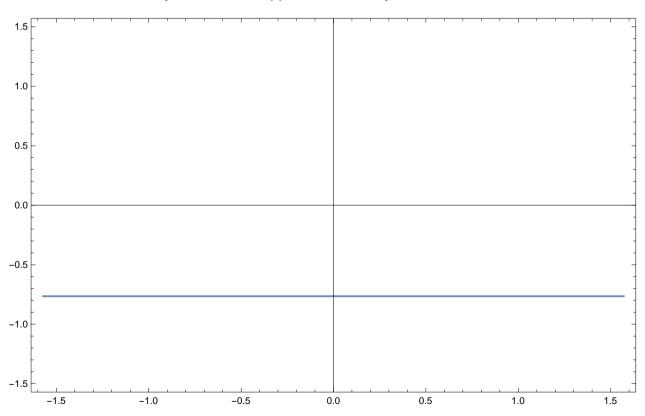
Step 2: Defining The Main Function That We Want To Find It,s Limit.

Function
$$\left[\{x\}, \frac{\operatorname{Intg}[x]^x}{x^x \operatorname{Sin}[x]} \right]$$

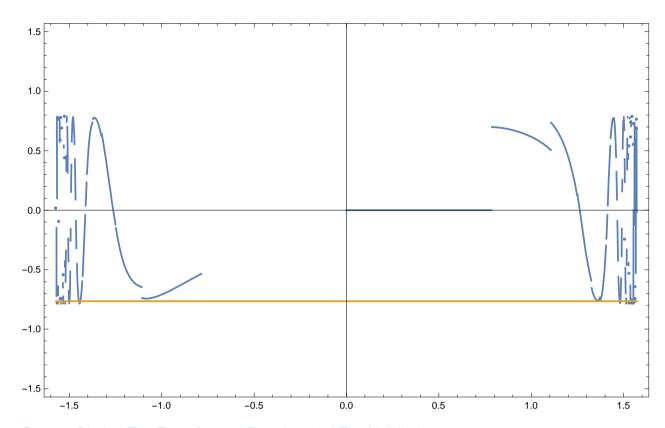
Step 3: Transformed Function Chart



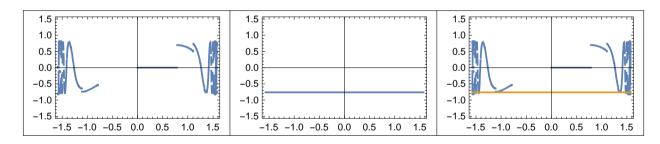
Step 4 : The Y=(Limit Answer) Chart.



Step 5 : Ploting The Two Previous Functions On The Same Plot.



Step 6: Ploting The Transformed Function And The Y=(Limit Answer) And Two Previous Functions On The Same Graphics Row.



Step 7 : Printing The Result of Limit[$\frac{Intg[x]^x}{x^x \times Sin[x]}$, $x \rightarrow +Infinity$] Using New Methods .

-0.764314